



同位体シフトによる 新物理探索における新展開

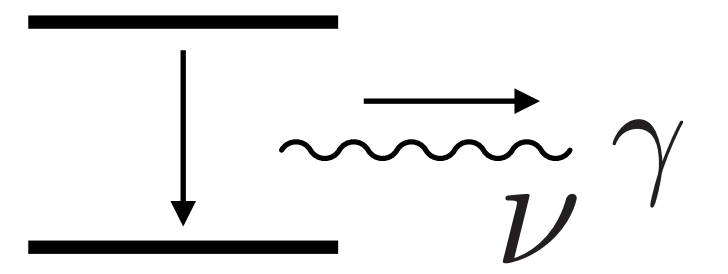
田中 実 (阪大理)

共同研究者

山本康裕(NCBI), 小野滉貴(京大理), 肥後本隼也(京大理), 斎藤優冴(京大理),
石山泰樹(京大理), 高須洋介(京大理), 高野哲至(日亜化学), 高橋義朗(京大理)

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同位体シフト(IS)とキングの線形性 King, 1963



IS of two transitions: $t = 1, 2$

$$\nu_{A'A}^{(t)} = K_t \mu_{A'A} + F_t \langle r^2 \rangle_{A'A}$$

mass shift (MS) field shift (FS)

$$\mu_{A'A} := 1/m_{A'} - 1/m_A$$

$$\langle r^2 \rangle_{A'A} := \langle r^2 \rangle_{A'} - \langle r^2 \rangle_A$$

Modified IS: $\tilde{\nu}_{A'A}^{(t)} := \nu_{A'A}^{(t)} / \mu_{A'A} = \boxed{K_t} + \boxed{F_t \langle r^2 \rangle_{A'A} / \mu_{A'A}}$

electronic factors nuclear factor

King's linearity: eliminating the nuclear factor

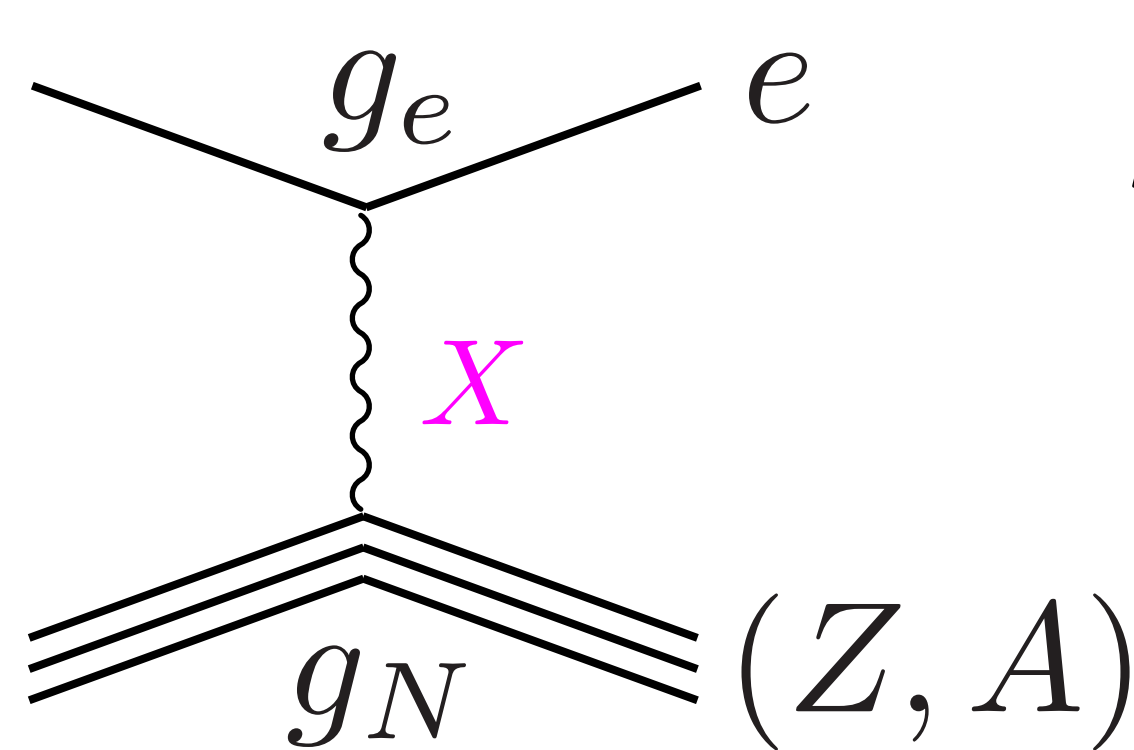
$$\tilde{\nu}_{A'A}^{(2)} = K_{21} + F_{21} \tilde{\nu}_{A'A}^{(1)}$$

$$K_{21} := K_2 - F_{21} K_1, \quad F_{21} := F_2 / F_1$$

→ $(\tilde{\nu}_{A'A}^{(1)}, \tilde{\nu}_{A'A}^{(2)})$ on a straight line, King's plot

線形性の破れ

IS by new **neutron-electron interaction** Delaunay et al. arXiv:1601.05087v2



$$\nu_{A'A}^{(t)} = \underbrace{K_t \mu_{A'A}}_{\text{MS}} + \underbrace{F_t \langle r^2 \rangle_{A'A}}_{\text{FS}} + \underbrace{X_t (A' - A)}_{\text{particle shift (PS)}}$$

Nonlinearity due to **subleading FS**

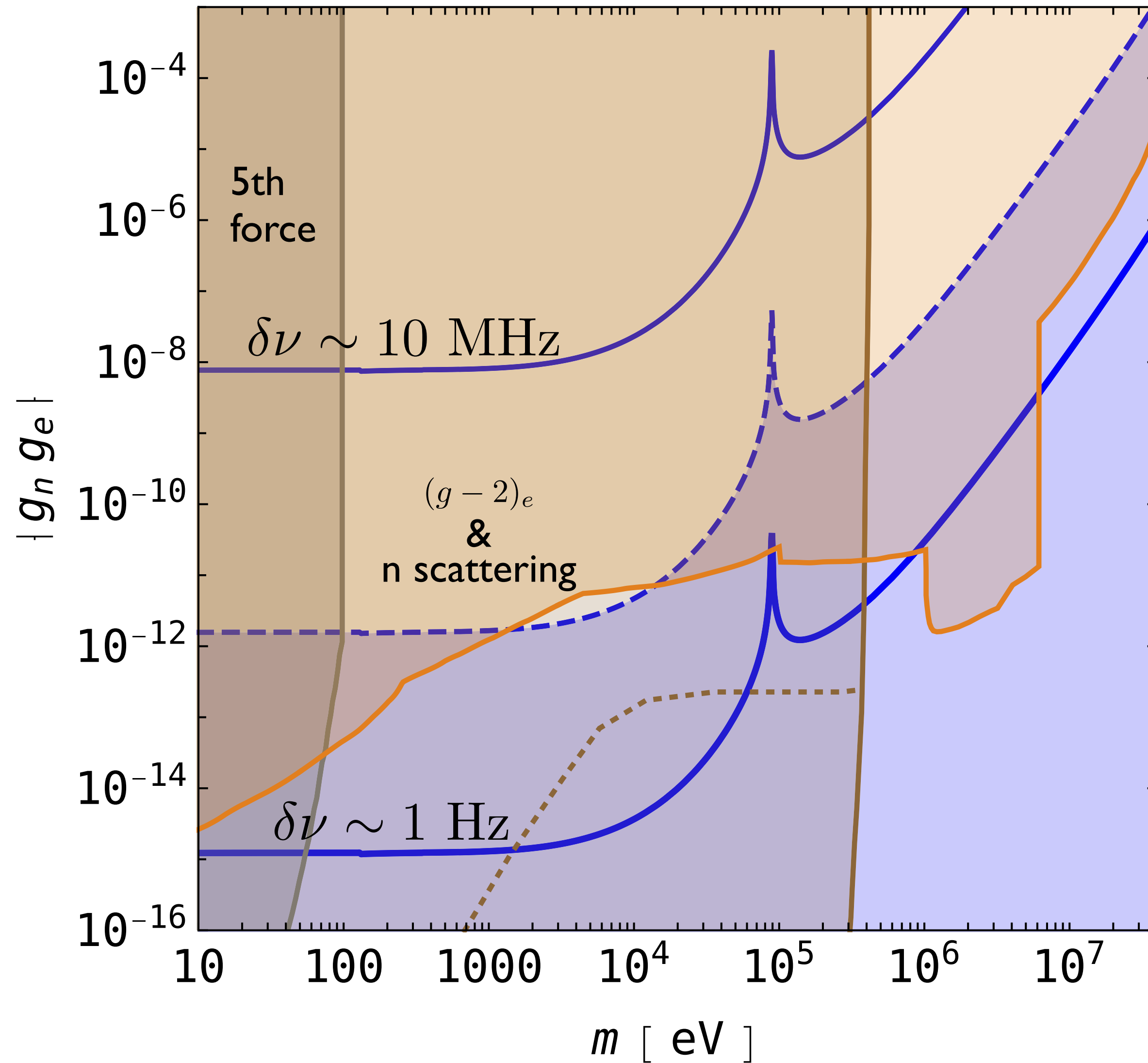
$$\text{FS} = F_t \langle r^2 \rangle_{A'A} + F'_t [\langle r^2 \rangle_{A'A}]^2 + G_t \langle r^4 \rangle_{A'A} + \dots$$

quadratic FS higher moment

$$[\langle r^2 \rangle_{A'A}]^2 := (\langle r^2 \rangle_{A'A_0})^2 - (\langle r^2 \rangle_{AA_0})^2$$

Ex. Yb^+

MT, Y. Yamamoto PTEP 103B02 (2020)



Transition 1: 369 nm Martensson-Pendrill et al. PRA49, 3351 (1994)
 $^2P_{1/2}(4f)^{14}(6p) - ^2S_{1/2}(4f)^{14}(6s)$ $\delta\nu_{A'A}^1 \sim O(1)$ MHz

Transition 2: 935 nm Sugiyama et al. CPEM2000
 $^3D[3/2]_{1/2}(4f)^{13}(5d)(6s) - ^2D_{3/2}(4f)^{14}(5d)$
 $\delta\nu_{A'A}^2 \sim O(10)$ MHz

— Yb^+ bounds
 - - - $\langle r^4 \rangle$ FSNL (SM BG)

FSNL dominance:
 $\delta\nu \lesssim 1$ kHz

SMの非線形性をどうする？
 高精度計算は難しい。

一般化線形性

K. Mikami, MT, Y. Yamamoto EPJC77:896 (2017)

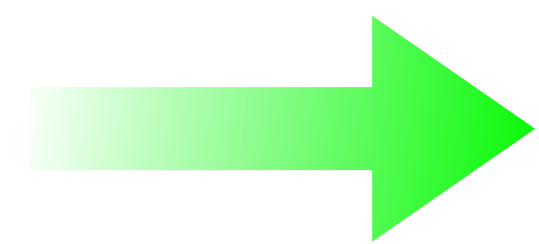
$$\nu_{A'A}^{(t)} = K_t \mu_{A'A} + F_t \langle r^2 \rangle_{A'A} + F'_t [\langle r^2 \rangle_{A'A}]^2 + X_t (A' - A)$$

3 transitions: t=1, 2, 3

QFS

PS

$$\begin{pmatrix} \nu_{A'A}^{(1)} - X_1(A' - A) \\ \nu_{A'A}^{(2)} - X_2(A' - A) \\ \nu_{A'A}^{(3)} - X_3(A' - A) \end{pmatrix} = \begin{pmatrix} K_1 & F_1 & F'_1 \\ K_2 & F_2 & F'_2 \\ K_3 & F_3 & F'_3 \end{pmatrix} \begin{pmatrix} \mu_{A'A} \\ \langle r^2 \rangle_{A'A} \\ [\langle r^2 \rangle_{A'A}]^2 \end{pmatrix} =: M \begin{pmatrix} \mu_{A'A} \\ \langle r^2 \rangle_{A'A} \\ [\langle r^2 \rangle_{A'A}]^2 \end{pmatrix}$$



$$\begin{aligned} & (M^{-1})_{11} \nu_{A'A}^{(1)} + (M^{-1})_{12} \nu_{A'A}^{(2)} + (M^{-1})_{13} \nu_{A'A}^{(3)} \\ & - \{ (M^{-1})_{11} X_1 + (M^{-1})_{12} X_2 + (M^{-1})_{13} X_3 \} (A' - A) = \mu_{A'A} \end{aligned}$$

$(\nu_{A'A}^{(1)}, \nu_{A'A}^{(2)}, \nu_{A'A}^{(3)}) / \mu_{A'A}$ on a plane if $X_t = 0$

n transitions and n+1 IS pairs \rightarrow NP search with n-2 FSNL's removed

実験の進展

Yb⁺イオン

Count et al. PRL 125, 123002 (2020)

Transition 1: 411 nm
 $^2S_{1/2}(6s) - ^2D_{5/2}(5d)$

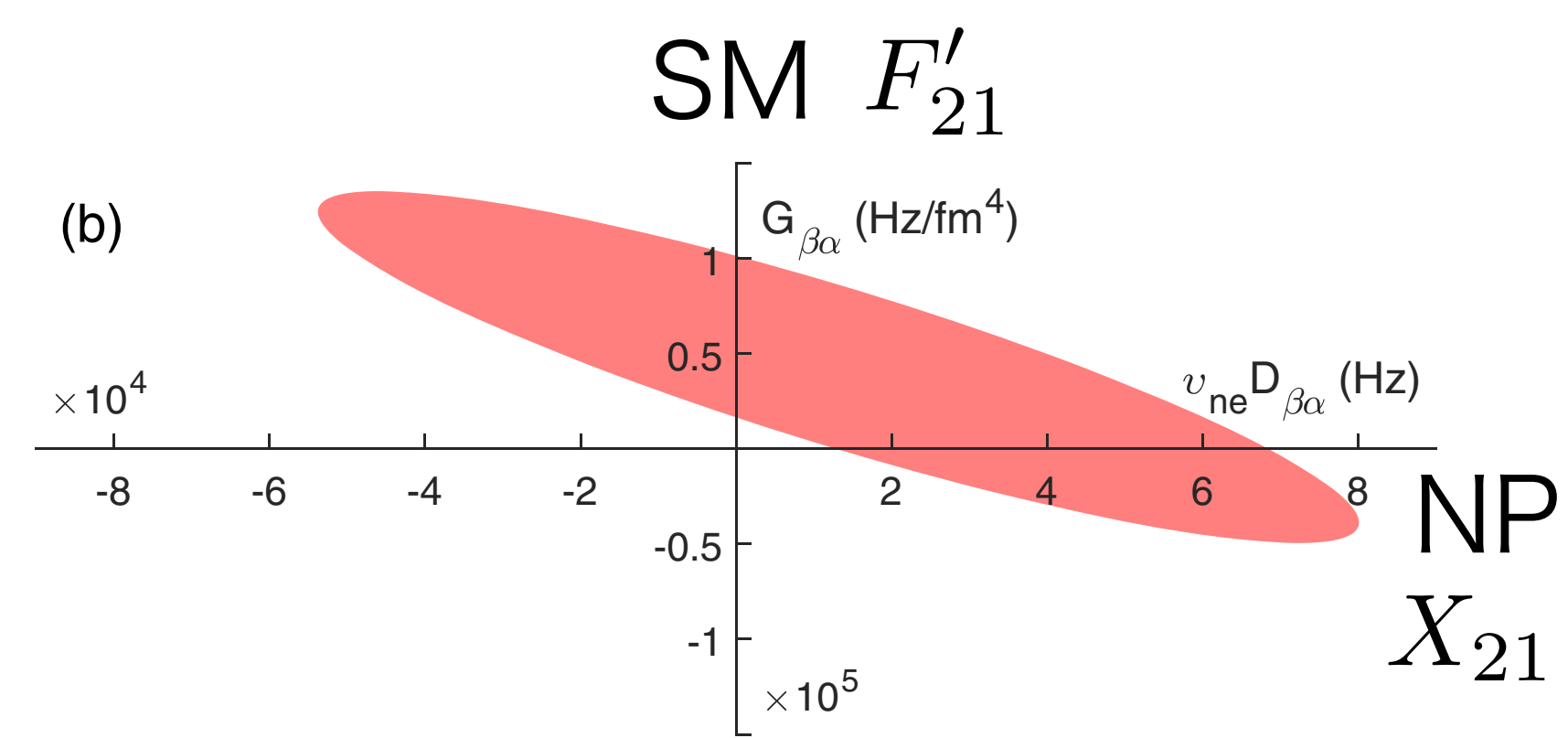
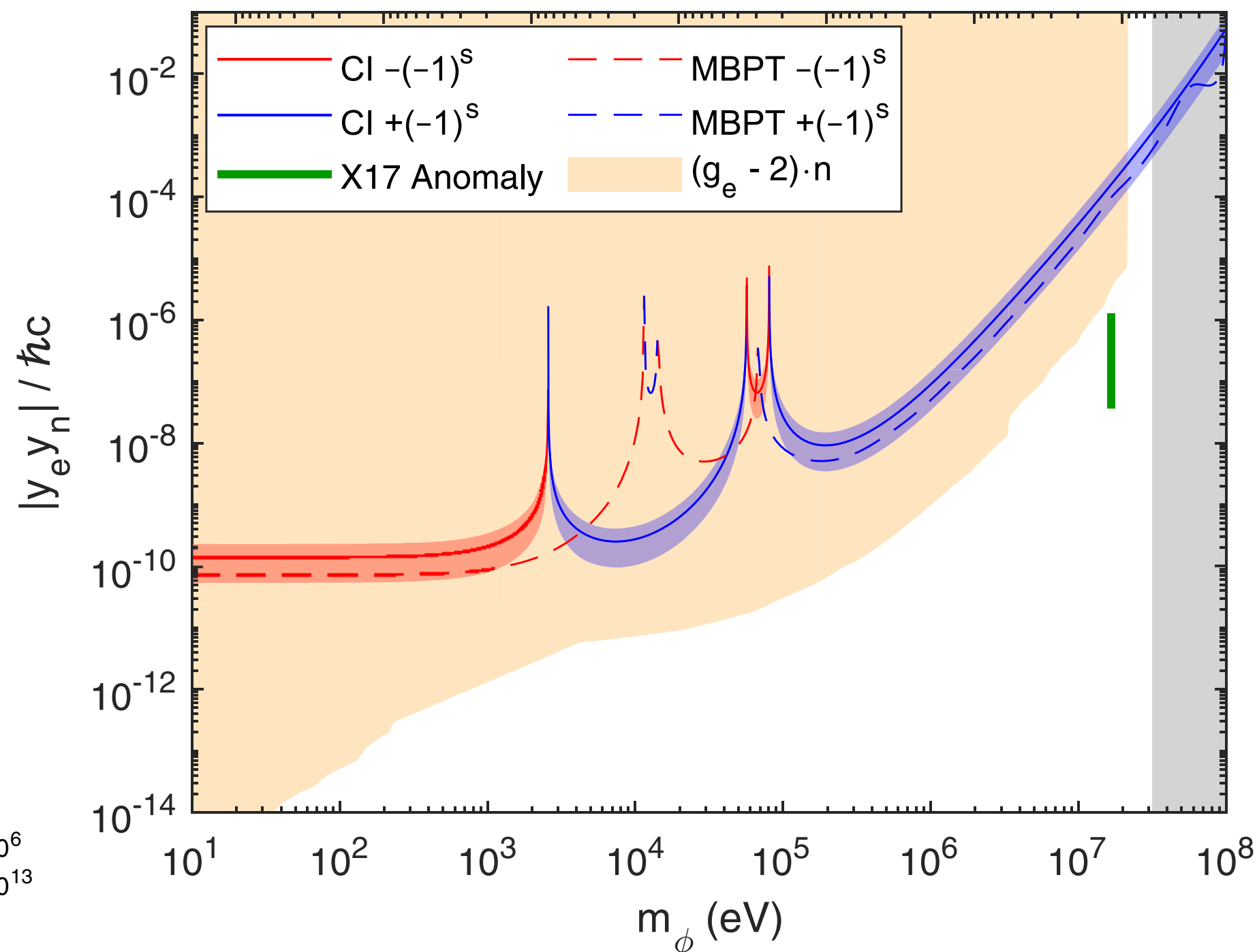
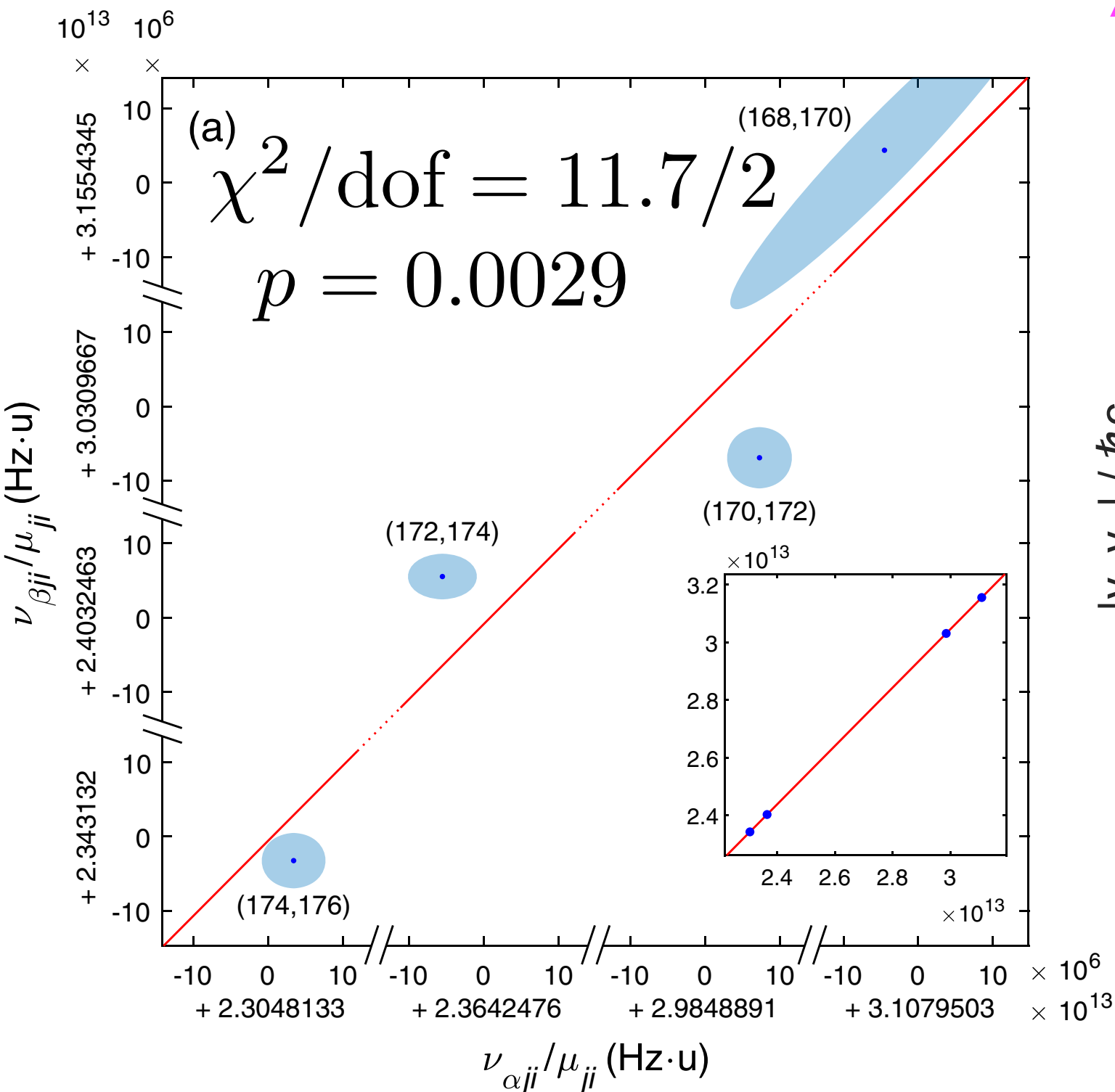
Transition 2: 436 nm
 $^2S_{1/2}(6s) - ^2D_{3/2}(5d)$

4 indep. IS pairs
 $\delta\nu \sim O(100)$ Hz

evidence for nonlinearity

new physics?

SM vs NP nonlinearities



中性Yb原子

K. Ono et al. to appear

$^1S_0(6s^2) - ^3P_0(6s6p)$ 579 nm, 4 IS pairs

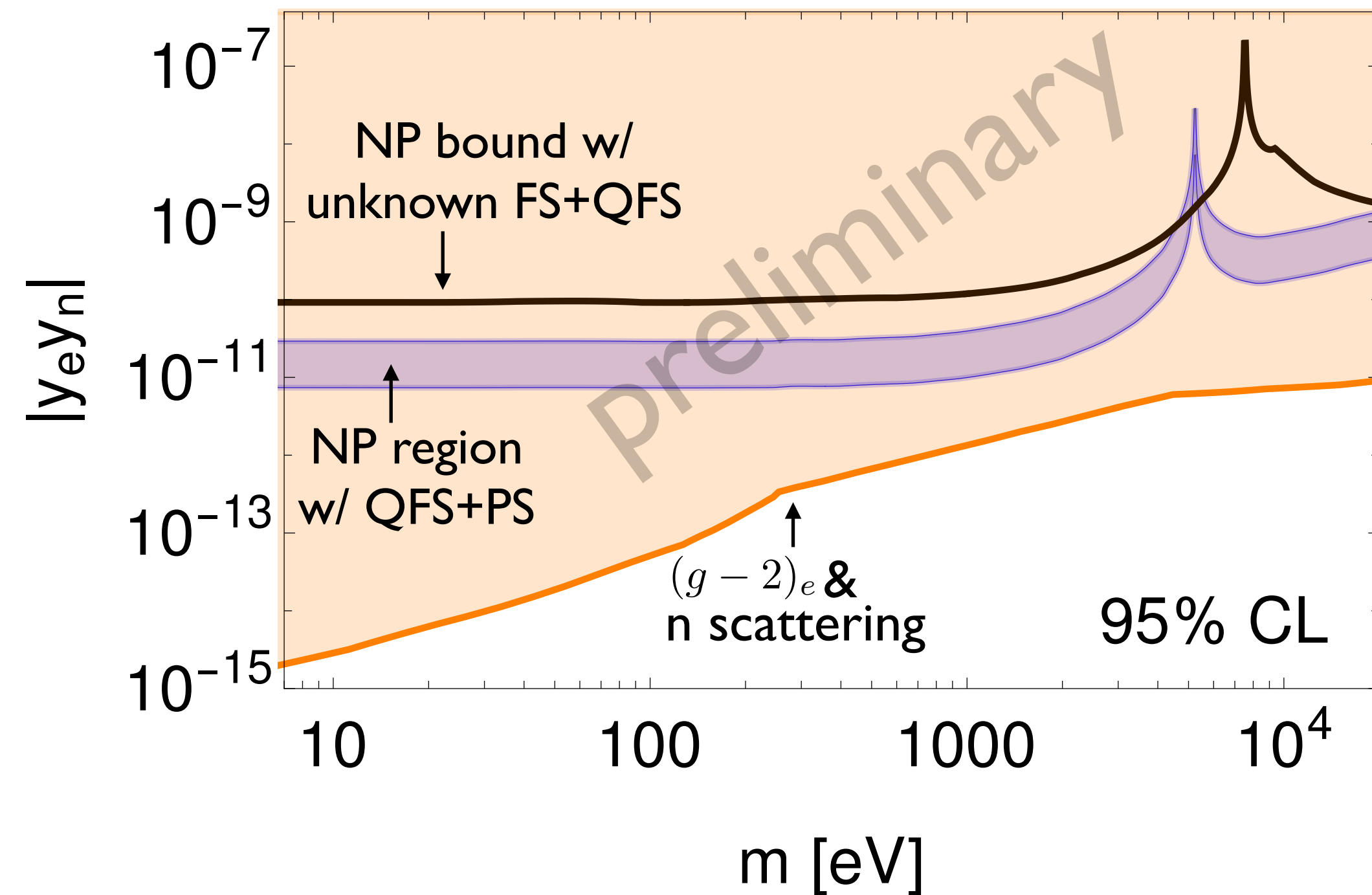
$\delta\nu \sim O(1)$ Hz

Yb⁺イオン

$^2S_{1/2}(6s) - ^2D_{5/2}(5d)$

$^2S_{1/2}(6s) - ^2D_{3/2}(5d)$

$\delta\nu \sim O(100)$ Hz



3 transitions, 4 IS pairs

➡ 一般化線形性を用いた新物理探索

詳細は、小野さんの講演 22pA1-6で。

まとめ

- **Isotope shift and King's linearity** $\tilde{\nu}_{A'A}^{(2)} = K_{21} + F_{21}\tilde{\nu}_{A'A}^{(1)}$
IS=MS+FS, linear relation of mIS of two transitions
- **Nonlinearities**: New physics and/or SM higher order
- **一般化線形性 (generalized linearity)**
SM nonlinearity removed, improved sensitivity to new physics
- **高精度Yb IS測定実験**
Yb⁺イオン O(100) Hz, Yb原子 O(1) Hz
Ybで複数のO(1) Hzも近い将来可能

関連講演: 小野さん 22pA1-6 (領域1)